

# The role of machine learning in a seamless modeling approach from weather to climate time scales

Second NOAA Workshop on Leveraging AI in the Environmental Sciences

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24 September 2020



- 1 Seamless modeling
  - What is seamlessness?
  - Seamless modeling systems
- 2 Machine learning for models
  - Learning parameterizations from high-resolution simulations
  - Parameter calibration
  - Training on models, training on observations
- 3 Ideas and challenges

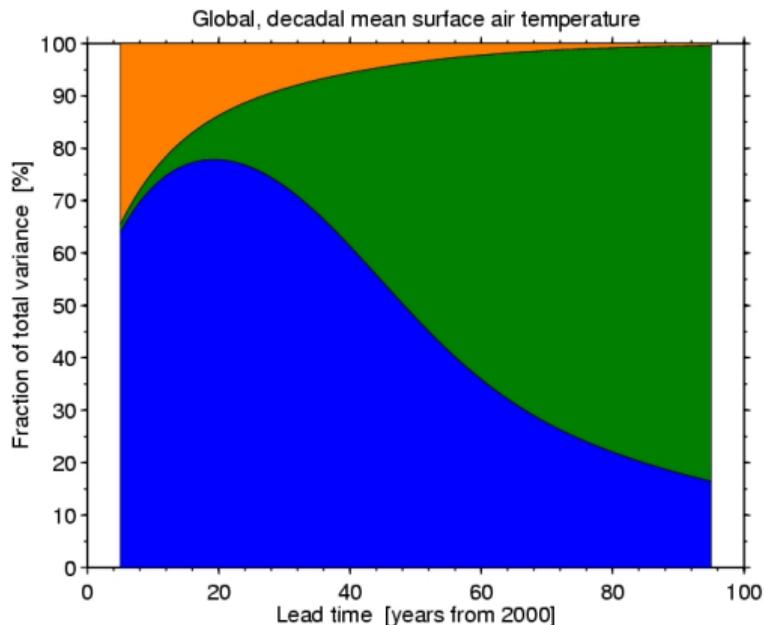


# Outline

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# Science requires going beyond observations



Sources of uncertainty in weather and climate simulation:

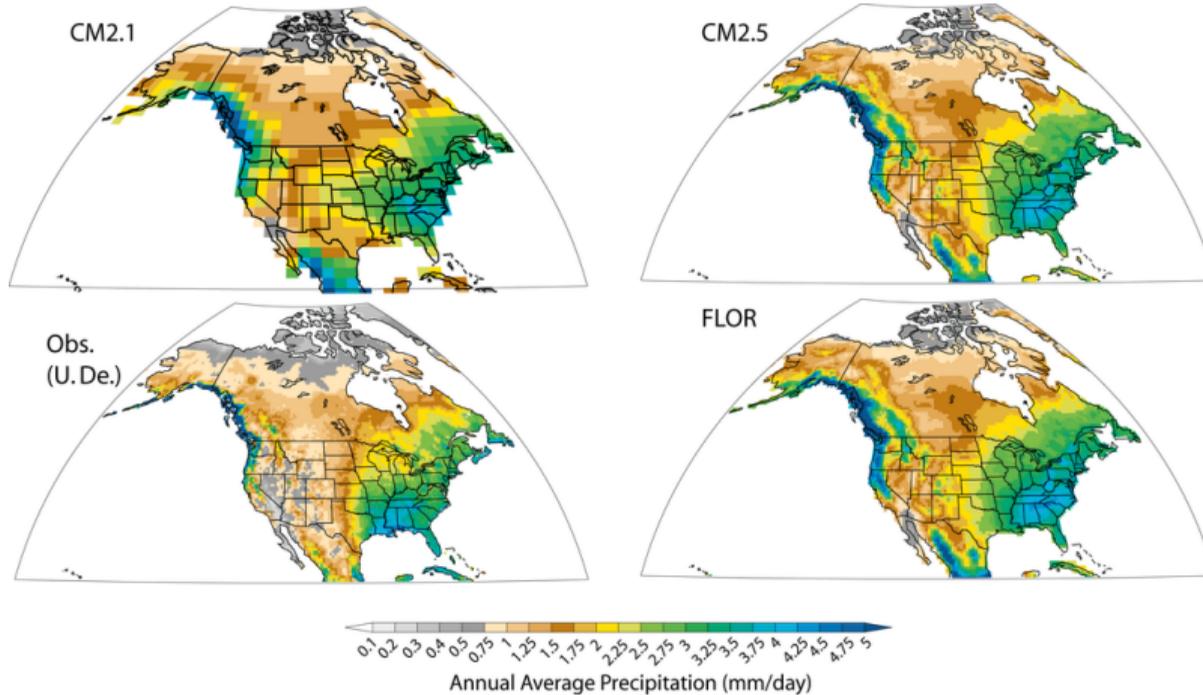
- *chaotic or aleatoric uncertainty* or internal variability
- *scenario uncertainty* dependent on policy and human actions.
- *structural or epistemic uncertainty*, imperfect understanding.

The premise of seamlessness is that the same model can be used for solving both **initial value problems** and **boundary value problems**, including **counterfactual** values.

From [Hawkins and Sutton \(2009\)](#).



# Model configuration and calibration in a seamless modeling system

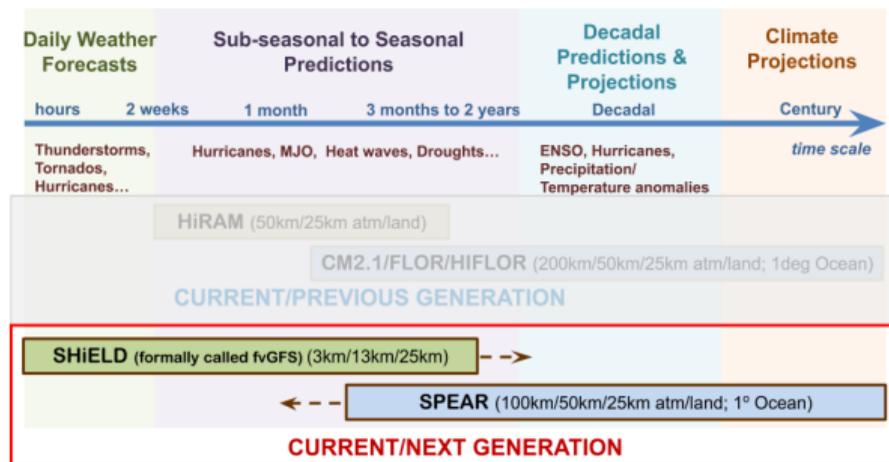


Equivalent predictability at lower cost in FLOR vs CM2.5.  
Figure courtesy Gabe Vecchi, Princeton University.

# Current generation GFDL models

## GFDL Seamless Modeling System – Predictions and Projections

FV<sup>9</sup> MOM6, AM4,  
LM4, SIS2



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**Note:** IPCC models GFDL-CM4 and ESM4 use higher ocean resolution ( $0.25^\circ$ ,  $0.5^\circ$ ).  
Figure courtesy Tom Delworth, NOAA/GFDL.



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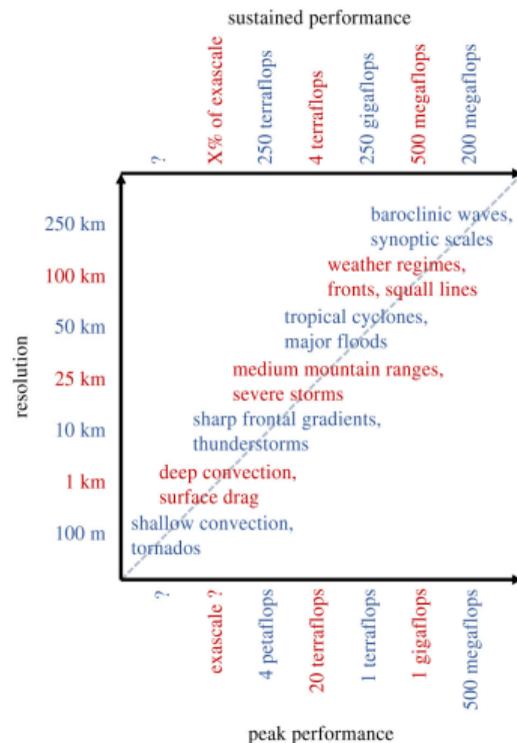
# What does any of this have to do with ML?

- Models, even “seamless” ones, may be configured or calibrated differently for different problems (e.g forecast horizons).
- Each problem carries an implicit cost function by which a model configuration is declared suitable.
- Models do not converge cleanly with resolution: much unresolved physics is not yet “scale-aware”.
- Computation alone is not going to make the problem go away (see below...)
- Important new constraints on models from observations (new generation of satellites, Argo...)
- While **data science** is a misnomer (what is non-data science?) the **convergence of computation and statistics** that we call ML provides paths forward toward seamlessness: **traceable hierarchies of scale**.



# What can we expect at an exaflop?

Will exascale be the rescue? Neumann et al (2019).

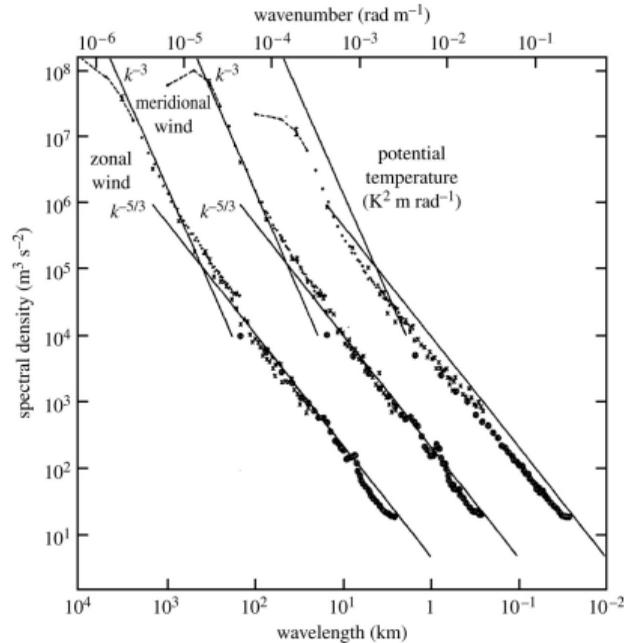


- ICON projects that a 1 km global model will run at **0.06 SYPD** on “pre-exascale” technology: **17X** improvement needed for 1 SYPD.
- This will be on 200,000 nodes (roughly **2xGaea**).
- DECK: **1000 SY**.
- A full suite of hindcasts for seasonal forecasting: **10,000 SY**.

Hypothesis: vastly reduced uncertainty at 1 km.



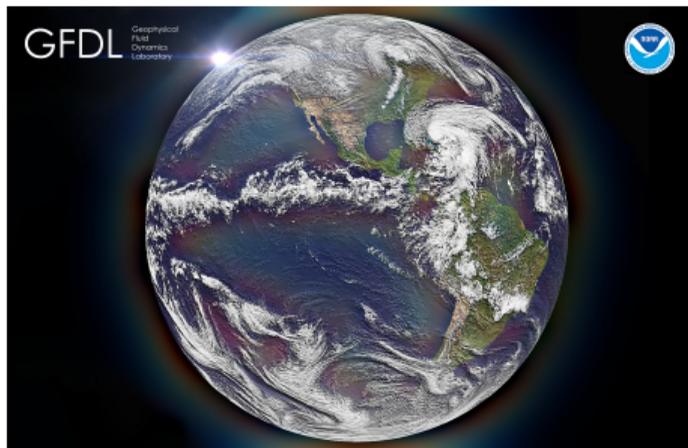
# No separation of "large" and "small" scales



Nastrom and Gage (1985). More fidelity, more complexity over time in small scales (“physics”). The **backscatter** idea (Jansen and Held 2014) provides an energetically consistent framework for SGS.

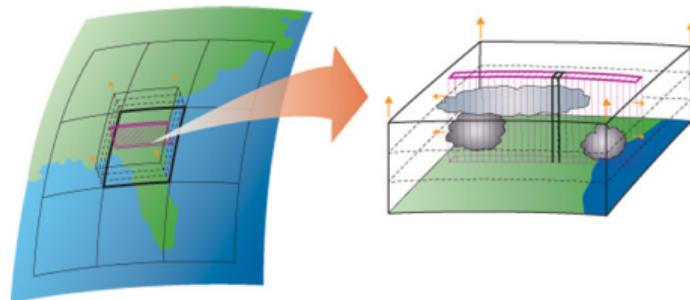


# Learn from short duration high resolution simulations



(Courtesy: S-J Lin, NOAA/GFDL).

- Global-scale CRMs (e.g 7 km simulation on the left) and even super-parameterization using embedded cloud models (right) remain prohibitively expensive.
- Can we learn the statistical aggregate of small scales? See [Schneider et al 2017](#), [Gentine et al \(2018\)](#), [O’Gorman and Dwyer \(2018\)](#), [Bolton and Zanna \(2019\)](#), ...
- GFDL-Vulcan collaboration begun.



(Courtesy: D. Randall, CSU; CMAP).

# Model calibration

Model calibration or “tuning” consists of reducing overall model error (relative to some goal of modeling) by modifying parameters. In principle, minimizing some cost function:

$$C(p_1, p_2, \dots) = \sum_1^N \omega_i \|\phi_i - \phi_i^{obs}\|$$

- Usually the  $p$  must be chosen within some observed or theoretical range  
 $p_{min} \leq p \leq p_{max}$ .
- “Fudge factors” (applying known wrong values) generally frowned upon (see [Shackley et al 1999](#) on “flux adjustments”).
- The choice of  $\omega_i$  is part of the lab’s “culture”. Cost also plays a role.
- The choice of  $\phi_i^{obs}$  is also troublesome:
  - “Over-tuning”: remember “reality” is but one ensemble member...
  - overlap between “tuning” metrics and “evaluation” metrics.

See for example, [Hourdin et al \(BAMS 2017\)](#)



# Problems with parameter optimization

- Parametric uncertainty vs structural uncertainty.
- A two stage process: process-level constraints followed by global constraints.
- The choice of cost function.
- Metric weights and normalization.
- Do observations sample the space sufficiently?
- If models “higher” in the hierarchy are used for calibration, are they representative of all possible states? What the associated uncertainties?
- Internal feedbacks and compensating errors.

Danny Williamson (Exeter) has been arguing that we should look at it differently, as a problem of eliminating **implausible** regions of phase space rather than optimization.



# Formulating the problem

$$\frac{\partial \mathbf{x}}{\partial t} = D(\mathbf{x}) + \sum_n \mathcal{P}_n(\mathbf{x}, \lambda_n)$$

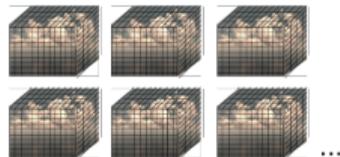
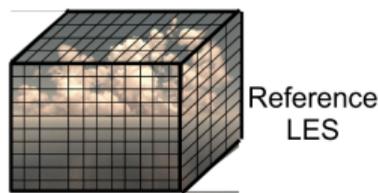
- Structure is given by  $\mathcal{P}$ , we are trying to calibrate values of a vector of parameters  $\lambda$
- Multiple metrics we wish to satisfy. For each metric  $f$  we can define a distance given by:

$$I_f(\lambda) = \frac{\|r_f - E_f[\lambda]\|}{\sigma_{r,f}^2 + \sigma_{d,f}^2 + \text{Var}[f(\lambda)]}$$

- Euclidean distance over history normalized by error (observational, structural, chaotic)
- Sample  $\lambda$  space as exhaustively as practical for  $I < T$ , the NROY space. Iterate in *waves*. Can use different metrics in subsequent waves.

$$\text{NROY}^n = \cap_k \text{NROY}_{f_k}$$



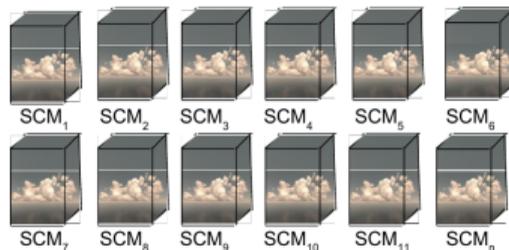


Sensitivity to resolution, domain size, parameterization option

1. Selection of **metrics - Reference metric and uncertainty** computed from an ensemble of LES

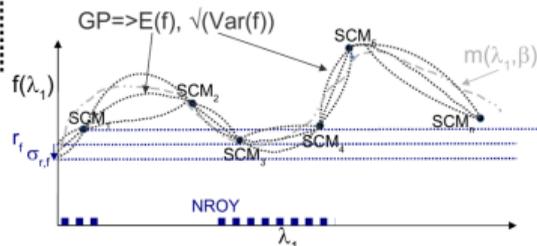
2. Identify **free parameters and possible range**

3. **Sample n parameter ensemble and run n SCMs**



From SCMs compute metrics

4. Build **emulator** to predict the metric for any values of parameters

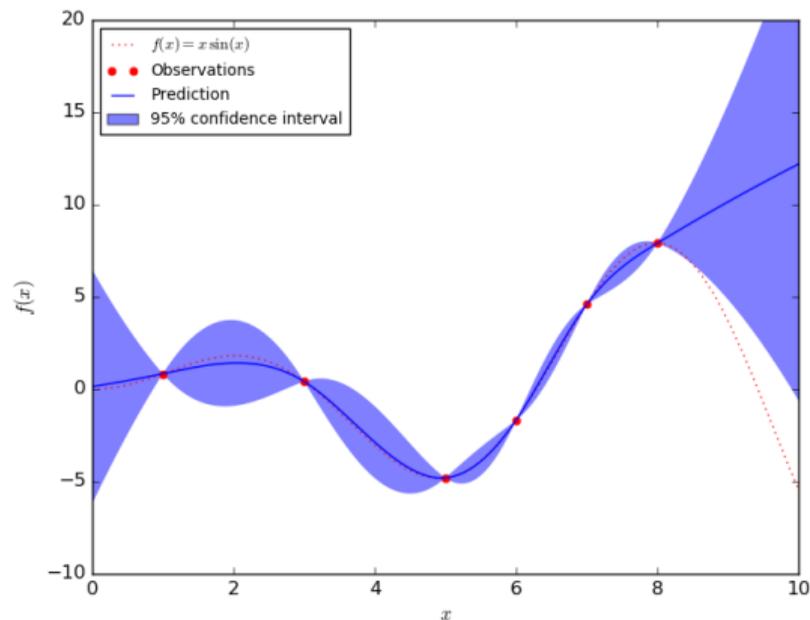


5. Compare metrics to reference metric and **rule out impossible values of parameters**  
=> Refined plausible space of parameters

- LES as ground truth, multiple variants to get “observational error”.
- Emulate LES using SCMs encoding all the  $\mathcal{P}$ .
- Latin hypercube sampling of  $\lambda$
- Fit Gaussian processes to SCMs to densely sample all values of  $\lambda$



# Gaussian processes

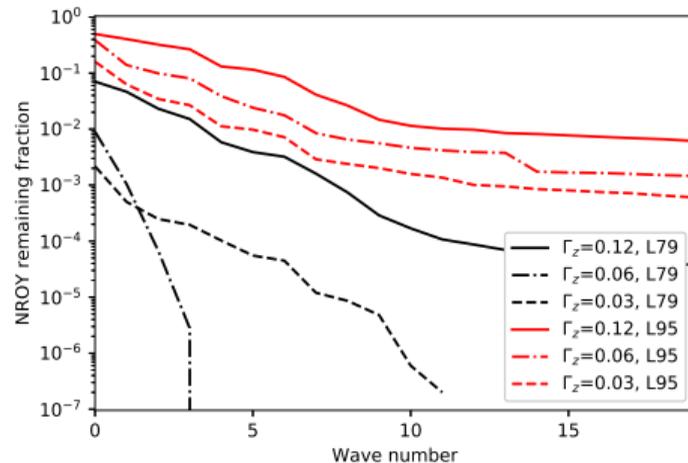
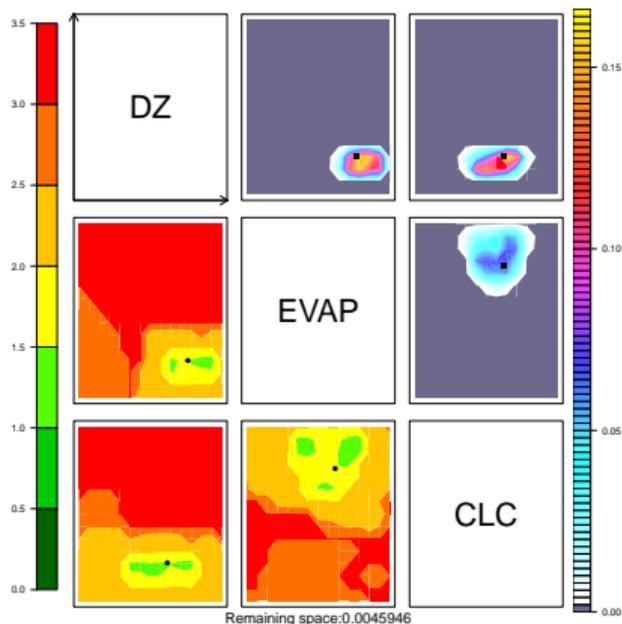


- Extremely standard emulator, widely available in python libraries
- Very poor at extrapolation, so training data must span phase space!



- Importance of a library of distinct physical regimes (e.g marine, continental) sampled by LES
- Results are sensitive to LES turbulence closure and numerics.
- Don't do sensitivity analysis on the full phase space (premise is that most of it is unphysical). But see discussion of order of imposition of metrics.
- Even individual  $\mathcal{P}$  may have multiple tunable subsystems with compensating errors, e.g EDMF.
- Rule of thumb: need  $10 \times \text{rank}(\lambda)$  SCM runs.

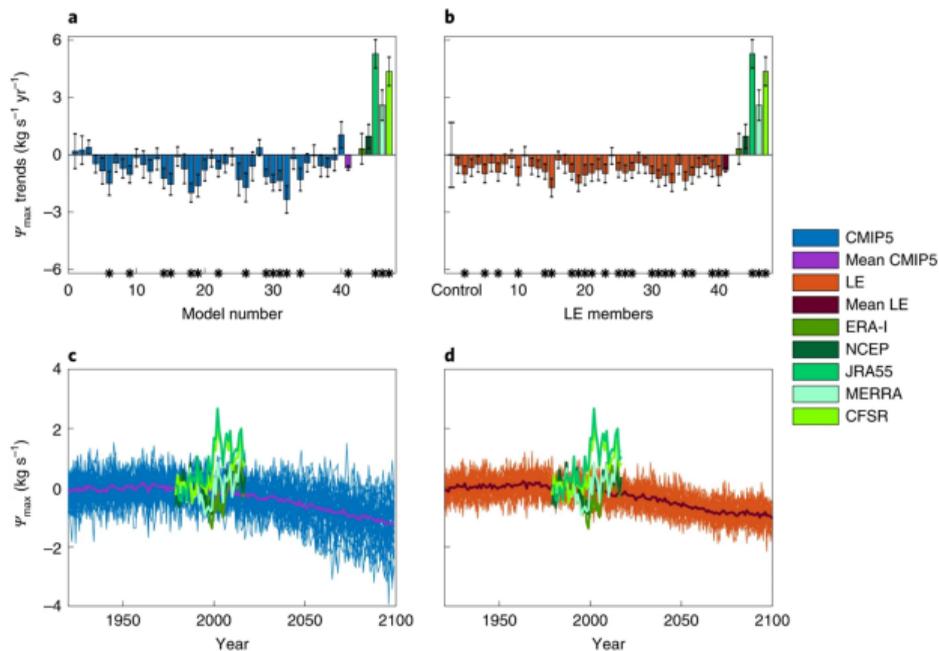




- Eliminate **implausible** parameter space comparing SCMs with LES.
- ... leaving irreducible (“structural”) model error.



# Training on models or observations?



From [Chemke and Polvani \(2019\)](#). Hadley cell strength is likely correct in models and not in “observations”!



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# Using ML in seamless modeling: ideas and challenges

- Big data, machine learning, AI: **not a step change** but massive computation applied to existing methods (regression, classification, assimilation)
- Seamless models may be a **hierarchy** of scale, resolution, cost: ML-inspired **emulators** help navigate the hierarchy.
- Models are calibrated in multiple stages: ML can play a role at process-level as well as global constraints.
- Training data may come from model hierarchy (e.g CRM, LES) or observations and reanalysis (even for directly predictive methods, e.g [Ham et al, Nature 2019](#))).
- Ensure training data and ML methods are well-anchored in theory (see next talk by Maïke Sonnewald).
- **Fundamental questions** still unanswered:
  - How much physics should be learnt?
  - Can we assume a structure for the physical formulation?
  - Process fidelity vs overall model error.
  - Will ML give us differentiable models?



# Bibliography

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